

ML Methods: Objectives & Paradigms

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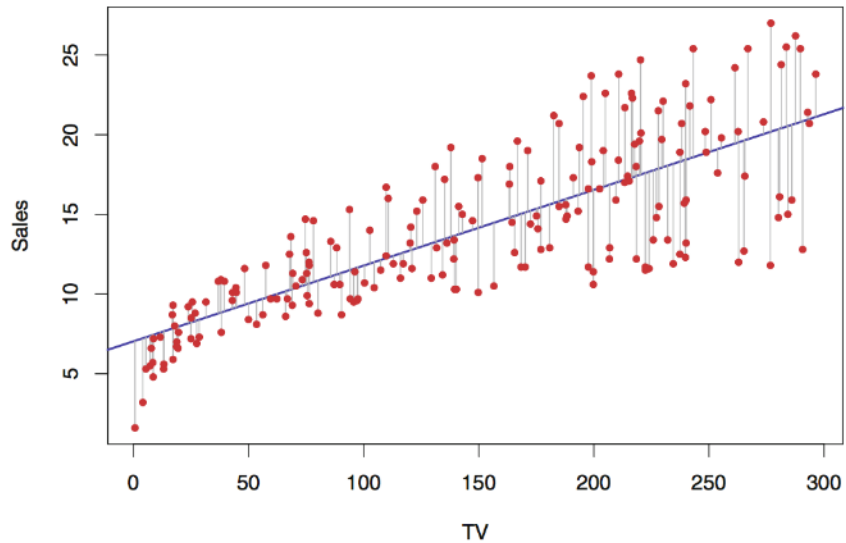
Summary

- Target problems for Machine Learning
- Geometrical Paradigms
- Probabilistic Paradigms
 - Generative models
 - Applications to speech and language processing

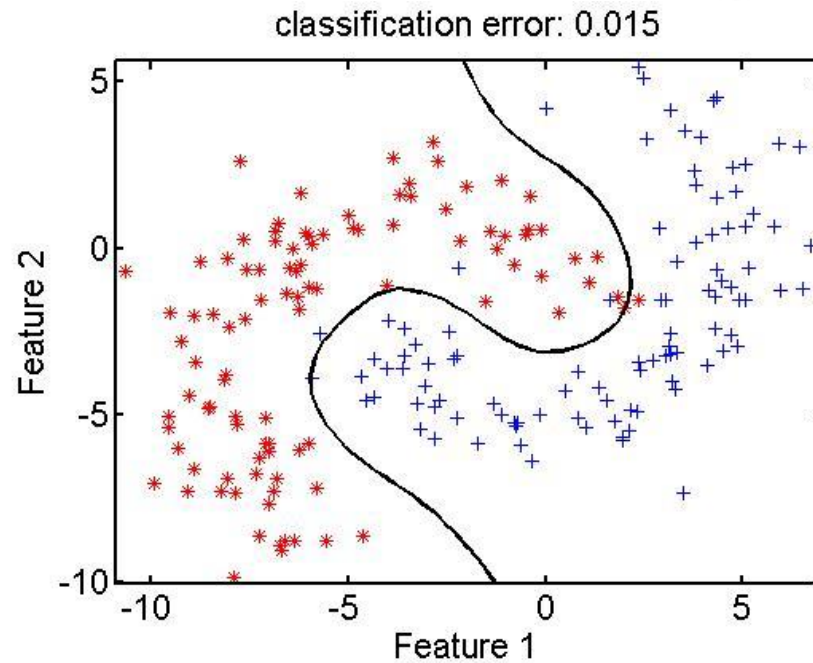


Machine Learning: the core problems

Regression



Classification



Machine Learning: the core problems

Regression

- Given a set of examples of a target function $f(\cdot)$
- x_1, \dots, x_k with $y_i=f(x_i)$ known for every i
- Define a function $h(\cdot)$ such that:
 - $h(x_i) = y_i = f(x_i) \quad \forall i$
 - $h(x) \approx f(x) \quad \textit{elsewhere}$

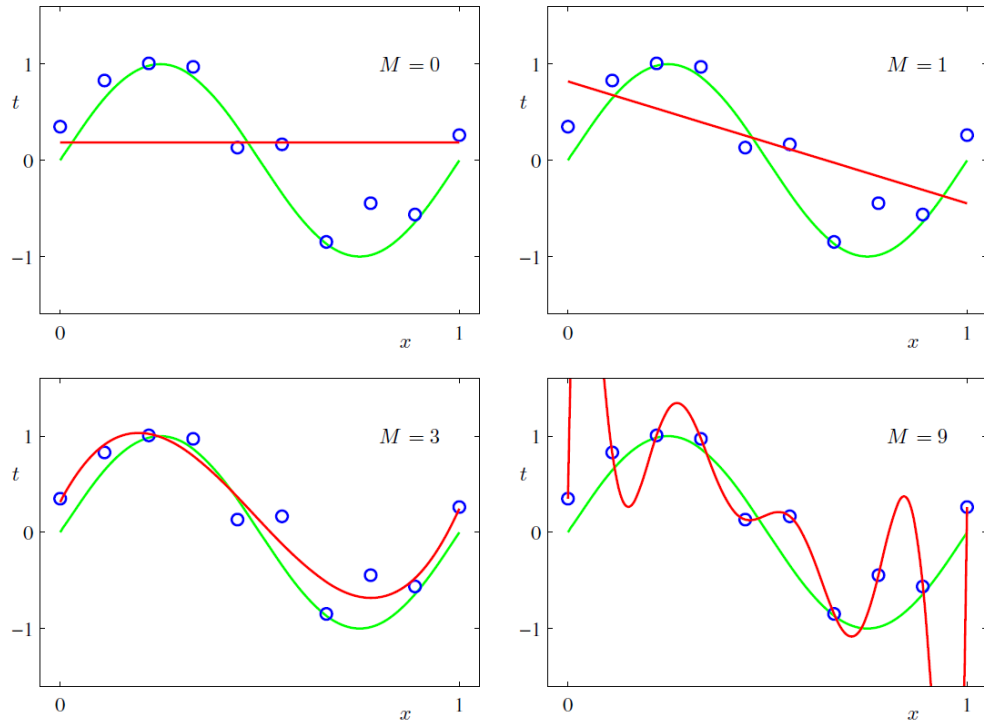
Classification

- Given n classes C_1, \dots, C_n and a given number of instances x_1, \dots, x_k whose classification y_1, \dots, y_k is known
- Define the class membership function $h(\cdot)$ such that
 - $h(x_i) = y_i \quad \forall i=1, \dots, k$
 - $h(x) \triangleq C_i$ such that (by definition) $x \in C_i$ for all other x

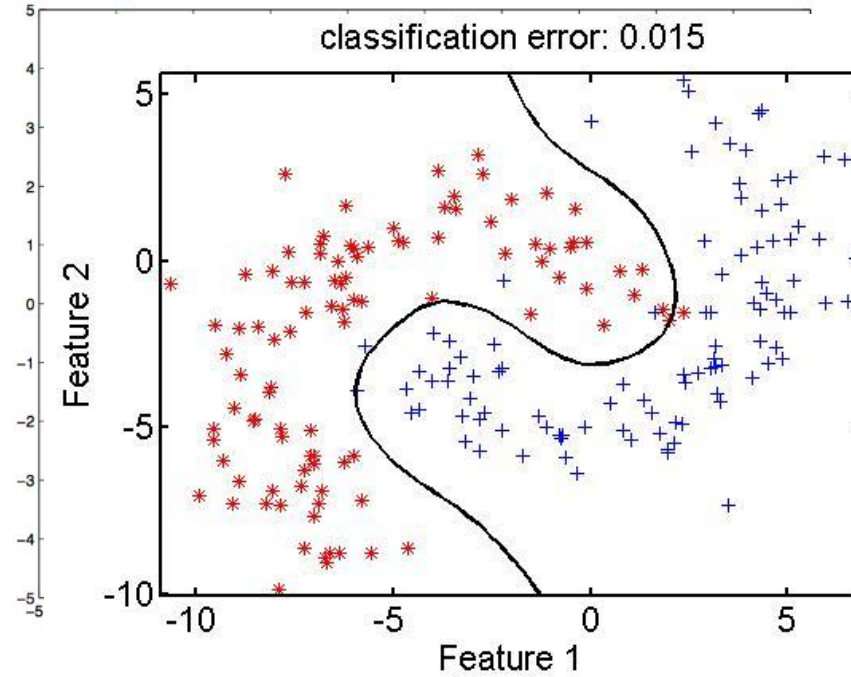


Machine Learning: la scelta delle funzioni

Regression



Classification



Paradigms for Model Selection

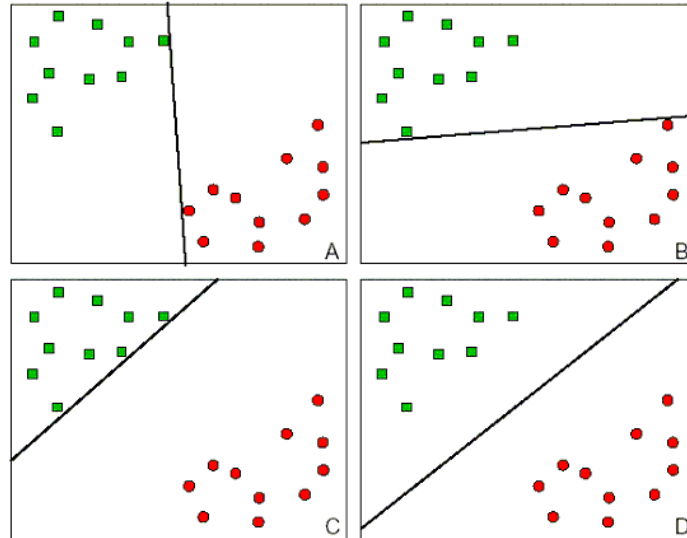
- Model Selection depends on the choice of:
 - **(Model Family Selection)** a class/family of functions (e.g. polynomials of degree n)
 - **(Model parametrization)**. Selection/Estimation of the parameters suitable for defining the optimal decision function
 - Definition of the notion of optimality (e.g. **coverage** vs. **accuracy**)
 - Search for the optimal values of the parameters
 - Analytical forms
 - Empirical induction from the training set



Model Selection from a family of functions

- Discriminative approaches

- Linear models
- $h(\mathbf{x}) = \text{sign}(\mathbf{W} \cdot \mathbf{x} + \mathbf{b})$



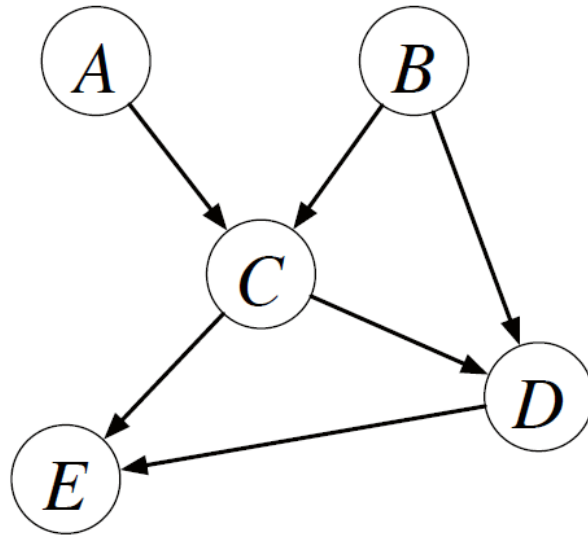
- Probabilistic approaches

- Estimates of probabilities $p(\mathcal{C}_k|\mathbf{x})$ over a training set
- Generative Model of the target task allows the application of the Bayesian inversion

$$p(\mathcal{C}_k|\mathbf{x}) = \frac{p(\mathbf{x}|\mathcal{C}_k)p(\mathcal{C}_k)}{p(\mathbf{x})}.$$



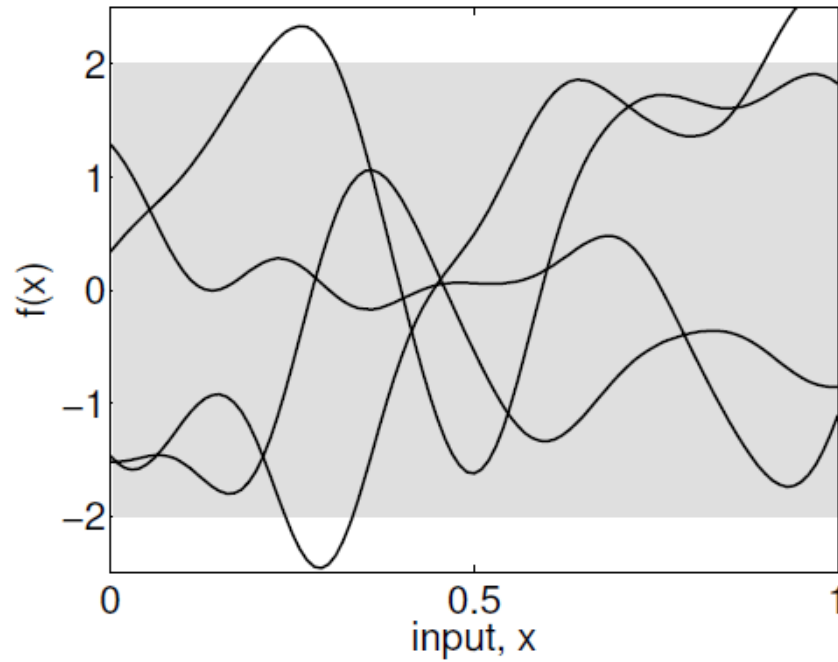
Graphical Models



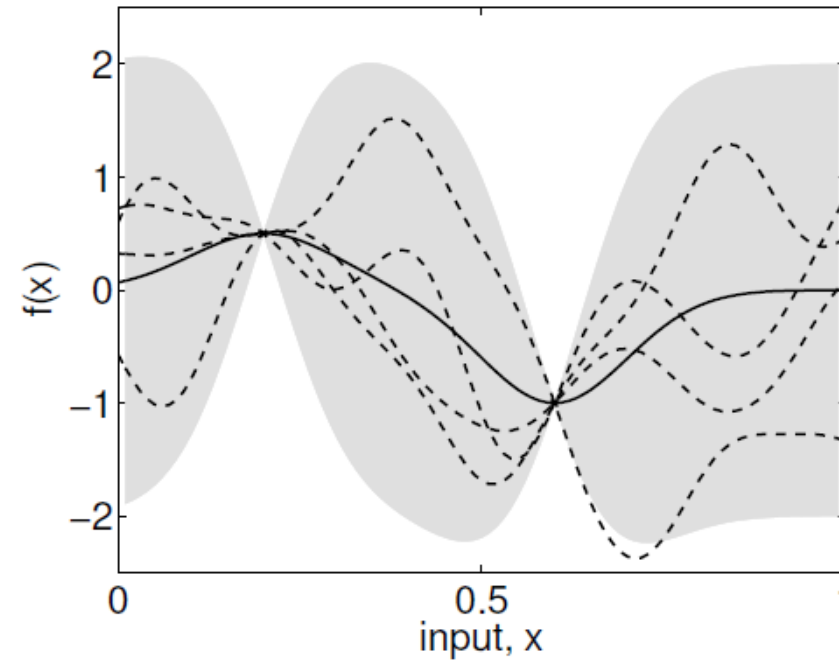
$$p(A, B, C, D, E) = p(A)p(B)p(C|A, B)p(D|B, C)p(E|C, D)$$



Bayesian & Grafical models



(a), prior

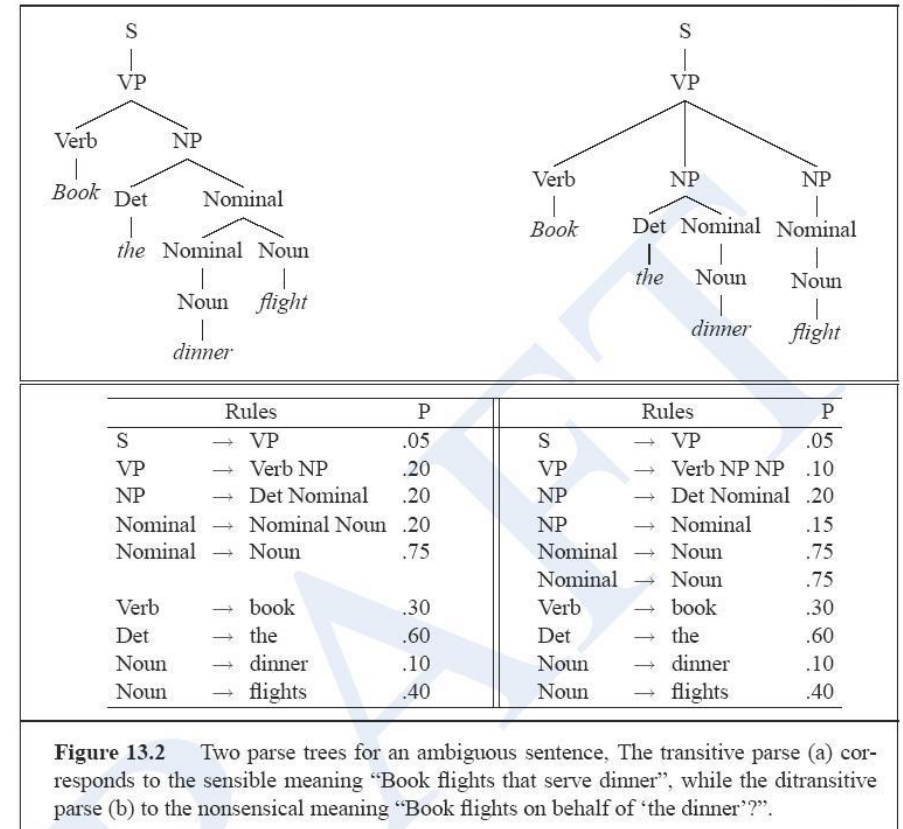


(b), posterior

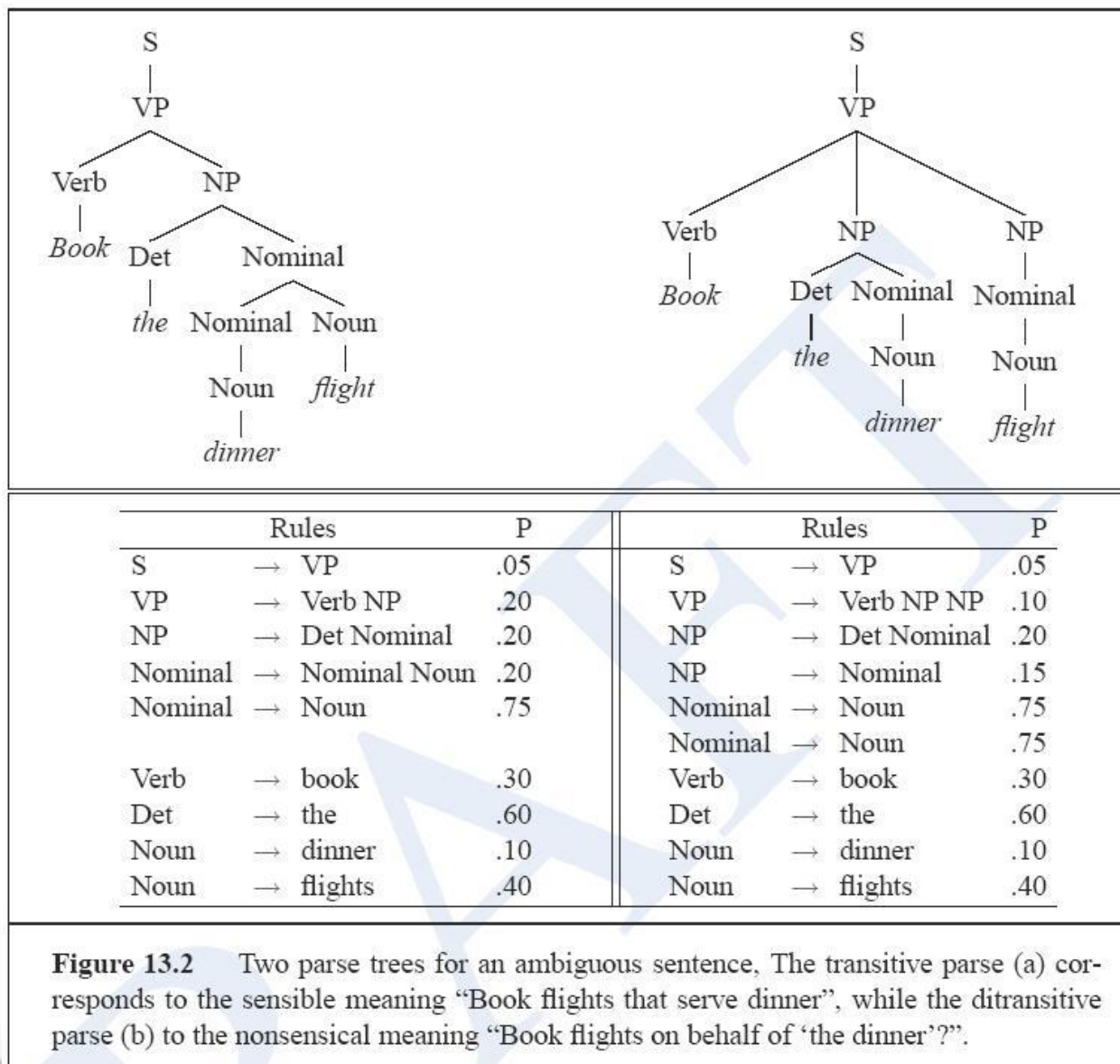


Weighted Grammars: Languages, Syntax & Statistics

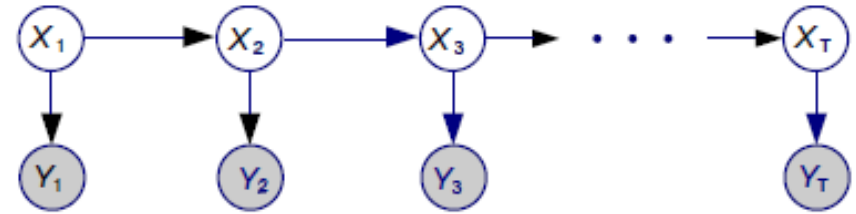
- POS tagging (Curch, 1989)
- Probabilistic Context-Free Grammars (Pereira & Schabes, 1991)
- Data Oriented Parsing (Scha, 1990)
- Stochastic Grammars (Abney, 1993)
- Lessicalizzati Modelli (C. Manning, 1995)



Weighted Grammars, between Syntax & Statistics



Hidden Markov Models



$$p(X_{1,\dots,T}, Y_{1,\dots,T}) = p(X_1)p(Y_1|X_1) \prod_{t=2}^T [p(X_t|X_{t-1})p(Y_t|X_t)]$$

- States = Categories/Concepts/Properties
- Observations: (sequences of) symbols characterizing a given language
- Emissions (of symbols by States) vs. Transitions (between states)
- Applications:
 - *Speech Recognition* (symbols: phonemes, states: segmentation of audio signal)
 - *POS tagging* (symbols: words, states: grammatical categories, i.e. POS tags)

